Nebraska Lancoin CSCE 496/896 Lecture 9: Object Detection Stephen Scott Introduction Performance Measures R-CNN Stephen Scott Stephen Scott Stephen Scott Stephen Scott Fast R-CNN YOLO

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Introduction

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Performance Measures R-CNN SPP-net Fast R-CNN

- We know that CNNs are useful in image classification
- Now consider object detection
 - Given an input image, identify what objects (plural) are in it and where they are
 - Output bounding box of each object

Mean average precision (mAP) to measure how well

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Outline

496/896
Lecture 9:
Object
Detection
Stephen Scott

R-CNN

Fast R-CNN

Introduction Performance measures

- RCNN
- SPP-net
- Fast RCNN
- YOLO

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Performance Measures

Mean Average Precision

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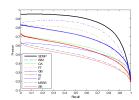
objects are identified
Recall from Lecture 3

Introduction
Performance

R-CNN SPP-net Fast R-CNN YOLO Precision is fraction of those labeled positive that are positive

 Recall is fraction of the true positives that are labeled positive

 Precision-recall curve plots precision vs recall



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Performance Measures Mean Average Precision (2)

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Introduction Performance

Measures

SPP-net
Fast R-CNN
YOLO

Given a ranking (by confidence values) of n items,
 average precision at n (AP@n) is average of precision values at each position in the ranking:

$$AP = \sum_{k=1}^{n} P(k) \Delta r(k) ,$$

where P(k) is precision at position k and $\Delta r(k)$ is change in recall: r(k) - r(k-1) (= 0 if instance k is negative, = $1/N_p$ if k is one of N_p positives)

- E.g., if ranking = $\langle +, +, -, +, \rangle$, AP@5 = (1)(1/3) + (1)(2/3) + (2/3)(2/3) + (3/4)(1) + (3/5)(1)
- Larger as more positives ranked above negatives
- mAP is mean of average precision across all classes

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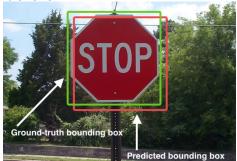
Performance Measures Intersection Over Union

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Introduction
Performance
Measures

R-CNN SPP-net Fast R-CNN YOLO **Intersection over union** (IoU) to measure quality of bounding boxes

 Divide the size of the two boxes' intersection by the size of their union



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Basic Idea of Object Detection

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ast R-CNN (OI O

Split input image into regions and classify each region with a CNN and other machinery

- Region boundary is
- bounding box
- Object detected in region is object in BB



Issues:

- Limited to bounding boxes of fixed sizes and locations
- An object could span regions



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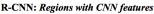
Region CNN (Girshick et al. 2014)

Stephen Sco

R-CNN

YOI O

- R-CNN proposes collection of 2000 regions in image
- Warps each region to match input dimensions $(227\times227\times3)$ of CNN to get 4096-dimensional embedded representation
- Classifies each embedded vector with class-specific binary SVMs
- Apply class-specific regressors to fine-tune bounding boxes



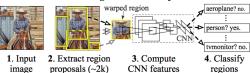


image proposals (~2k) CNN features regions

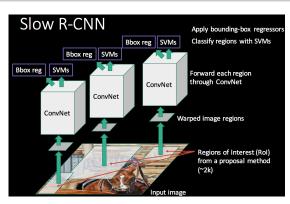
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Region CNN (Girshick et al. 2014)

R-CNN

Fast R-CNN

Example from Girshick (2015)



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Region CNN (Girshick et al. 2014) Selective Search

Popular method to propose Rols: selective search

Fast R-CNN

R-CNN

based on similarity Linear combination of similarities of: color, texture, size, shape

Segment the image

Compute bounding

boxes of segments Iteratively merge adiacent segments

Goto 2





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Region CNN (Girshick et al. 2014)

YOLO

- Training and detection are slow
- Detection: 13s/image on GPU, 53s/image on CPU
- Due to large number of regions proposed, each run through CNN and classified

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Spatial Pyramid Pooling (He et al. 2015)

SPP-net YOLO

- Part of R-CNN's slowdown at test time is running each Rol through ConvNet separately
- To speed up test time, instead put entire image through single ConvNet
 - Choose Rols from ConvNet output and run through spatial pyramid pooling (SPP) layer
 - Max/avg pooling with fixed number of bins
 - Produces fixed-length vector regardless of input
 - Fixed-length vectors feed to fully connected layers, then



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Spatial Pyramid Pooling (He et al. 2015) Example from Girshick (2015)

Stephen Sco SPP-net (OI O

SPP-net Apply bounding-box regressors Bbox reg SVMs Classify regions with SVMs Fully-connected layers **FCs** Spatial Pyramid Pooling (SPP) layer "conv5" feature map of image Regions of —— Interest (Rols) from a proposal Forward whole image through ConvNet ConvNet Input image

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Spatial Pyramid Pooling (He et al. 2015)

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SPP-net YOLO

- While training is faster then R-CNN, is still slow and disk-intensive
- Cannot efficiently update ConvNet parameters, so kept frozen
 - Each Rol's receptive field covers most of entire image, so forward pass expensive across all images of mini-batch

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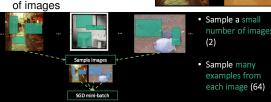
Fast R-CNN (Girshick 2015)

Hierarchical Sampling

R-CNN Fast R-CNN

Similar architecture to SPP-net

 Mini-batches constructed via hierarchical sampling: Sample a similar number of Rols over a smaller number of images



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Multi-task loss

- Trainable 📗

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Fast R-CNN (Girshick 2015)

Example from Girshick (2015)

R-CNN Fast R-CNN

Fast R-CNN (test time) FCs Fully-connected layers Regions of — Interest (RoIs) "conv5" feature map of image Forward whole image through ConvNet ConvNet Input image

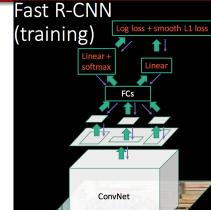
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SPP-net

YOLO

Fast R-CNN (Girshick 2015) Example from Girshick (2015)



You Only Look Once (Redmon et al. 2016)

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SPP-net

YOLO

A single, unified network

- Can process 45 frames per second on a GPU (155 fps for Fast YOLO)
- Lower mAP than some R-CNN variants, but much faster
- Highest mAP of real-time detectors (≥ 30 fps)

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You Only Look Once (Redmon et al. 2016)

YOLO

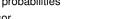
• Divides image into $S \times S$

Each grid cell predicts B bounding boxes, each as (x, y, w, h) (coordinates, width, height), and a confidence (five total predictions)



- $x, y, w, h \in [0, 1]$ (relative to image dimensions and grid cell location)
- Each cell also predicts C class probabilities
- Output is $S \times S \times (5B + C)$ tensor

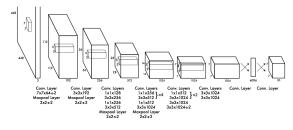
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You Only Look Once (Redmon et al. 2016)

YOLO



Leaky ReLU for all layers except output, which is linear

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You Only Look Once (Redmon et al. 2016)

- Pretrained 20 convolutional layers on ImageNet 1000
- Added 4 convolutional layers and 2 connected layers
- Trained to optimize weighted square loss function $\lambda_{coord} = 5$ times more weight on (x, y, w, h) predictions

$$\begin{split} \lambda_{\mathsf{coord}} \sum_{i=0}^{S^2} \sum_{j=0}^B \mathbb{I}^{\mathsf{obj}}_{ij} \left[(x_i - \hat{x}_i)^2 + (y_i - \hat{y}_i)^2 \right] \\ + \lambda_{\mathsf{coord}} \sum_{i=0}^{S^2} \sum_{j=0}^B \mathbb{I}^{\mathsf{obj}}_{ij} \left[\left(\sqrt{w_i} - \sqrt{\hat{w}_i} \right)^2 + \left(\sqrt{h_i} - \sqrt{\hat{h}_i} \right)^2 \right] \\ + \sum_{i=0}^{S^2} \sum_{j=0}^B \mathbb{I}^{\mathsf{obj}}_{ij} \left(C_i - \hat{C}_i \right)^2 \\ + \lambda_{\mathsf{noobj}} \sum_{i=0}^{S^2} \sum_{j=0}^B \mathbb{I}^{\mathsf{noobj}}_{ij} \left(C_i - \hat{C}_i \right)^2 \\ + \sum_{i=0}^{S^2} \mathbb{I}^{\mathsf{obj}}_{ij} \sum_{c \in \mathsf{classes}} (p_i(c) - \hat{p}_i(c))^2 \\ + \sum_{i=0}^{S^2} \mathbb{I}^{\mathsf{obj}}_{ij} \sum_{c \in \mathsf{classes}} (p_i(c) - \hat{p}_i(c))^2 \\ + \sum_{i=0}^{S^2} \mathbb{I}^{\mathsf{obj}}_{ij} \sum_{c \in \mathsf{classes}} (p_i(c) - \hat{p}_i(c))^2 \\ + \sum_{i=0}^{S^2} \mathbb{I}^{\mathsf{obj}}_{ij} \sum_{c \in \mathsf{classes}} (p_i(c) - \hat{p}_i(c))^2 \\ + \sum_{i=0}^{S^2} \mathbb{I}^{\mathsf{obj}}_{ij} \sum_{c \in \mathsf{classes}} (p_i(c) - \hat{p}_i(c))^2 \\ + \sum_{i=0}^{S^2} \mathbb{I}^{\mathsf{obj}}_{ij} \sum_{c \in \mathsf{classes}} (p_i(c) - \hat{p}_i(c))^2 \\ + \sum_{i=0}^{S^2} \mathbb{I}^{\mathsf{obj}}_{ij} \sum_{c \in \mathsf{classes}} (p_i(c) - \hat{p}_i(c))^2 \\ + \sum_{i=0}^{S^2} \mathbb{I}^{\mathsf{obj}}_{ij} \sum_{c \in \mathsf{classes}} (p_i(c) - \hat{p}_i(c))^2 \\ + \sum_{i=0}^{S^2} \mathbb{I}^{\mathsf{obj}}_{ij} \sum_{c \in \mathsf{classes}} (p_i(c) - \hat{p}_i(c))^2 \\ + \sum_{i=0}^{S^2} \mathbb{I}^{\mathsf{obj}}_{ij} \sum_{c \in \mathsf{classes}} (p_i(c) - \hat{p}_i(c))^2 \\ + \sum_{i=0}^{S^2} \mathbb{I}^{\mathsf{obj}}_{ij} \sum_{c \in \mathsf{classes}} (p_i(c) - \hat{p}_i(c))^2 \\ + \sum_{i=0}^{S^2} \mathbb{I}^{\mathsf{obj}}_{ij} \sum_{c \in \mathsf{classes}} (p_i(c) - \hat{p}_i(c))^2 \\ + \sum_{i=0}^{S^2} \mathbb{I}^{\mathsf{obj}}_{ij} \sum_{c \in \mathsf{classes}} (p_i(c) - \hat{p}_i(c))^2 \\ + \sum_{i=0}^{S^2} \mathbb{I}^{\mathsf{obj}}_{ij} \sum_{c \in \mathsf{classes}} (p_i(c) - \hat{p}_i(c))^2 \\ + \sum_{i=0}^{S^2} \mathbb{I}^{\mathsf{obj}}_{ij} \sum_{c \in \mathsf{classes}} (p_i(c) - \hat{p}_i(c))^2 \\ + \sum_{i=0}^{S^2} \mathbb{I}^{\mathsf{obj}}_{ij} \sum_{c \in \mathsf{classes}} (p_i(c) - \hat{p}_i(c))^2 \\ + \sum_{i=0}^{S^2} \mathbb{I}^{\mathsf{obj}}_{ij} \sum_{c \in \mathsf{classes}} (p_i(c) - \hat{p}_i(c))^2 \\ + \sum_{c \in \mathsf{classes}} (p_i(c) - \hat{p}_i(c))^2 \\ + \sum_{i=0}^{S^2} \mathbb{I}^{\mathsf{obj}}_{ij} \sum_{c \in \mathsf{classes}} (p_i(c) - \hat{p}_i(c))^2 \\ + \sum_{i=0}^{S^2} \mathbb{I}^{\mathsf{obj}}_{ij} \sum_{c \in \mathsf{classes}} (p_i(c) - \hat{p}_i(c))^2 \\ + \sum_{i=0}^{S^2} \mathbb{I}^{\mathsf{obj}}_{ij} \sum_{c \in \mathsf{classes}} (p_i(c) - \hat{p}_i(c))^2$$