Abstract

In a scan-based system with a large number of flip-flops, a major component of power is consumed during scan-shift and clocking operation in test mode. In this paper, a novel scan-path architecture called double-tree scan (DTS) is proposed that drastically reduces the scan-shift and clock activity during testing. The inherent combinatorial properties of double-tree structure are employed to design the scan architecture, clock gating logic, and a simple shift controller. The design is independent of the structure of the circuit-under-test (CUT) or its test set. It provides a significant reduction both in instantaneous and average power needed for clocking and scan-shifting. The architecture fits well to built-in self-test (BIST) scheme under random testing, as well as to deterministic test environment.

1. Introduction

With the emergence of mobile devices, design of low-power VLSI systems has become a major concern in circuit synthesis. A significant component of the power consumed in CMOS circuits is caused by the switching activity (SA) at various circuit nodes during operation. The dynamic power consumed at a circuit node is proportional to the total number of 0→1 and 1→0 transitions that the logic signal undergoes at that node multiplied by its capacitance and the frequency of operation.

Power/energy minimization during testing has become important in the context of deep sub-micron technology because of higher device densities and clock rates. In a scan-based system, a significant amount of power is consumed during the scan operations, as the activity in the scan-path, clock tree, and in the CUT becomes very high [1]. The average-power optimization extends the battery life in mobile applications. Maximum sustained power over a specified limit, may cause excessive heating of the device, whereas, the instantaneous power may cause excessive (inductive) voltage drop in the power and ground lines because of current swing. Thus, the logic states at circuit nodes may erroneously change. Further, BIST schemes with random test patterns may need an excessive amount of energy because of longer test length.

2. Background

Existing power/energy minimization techniques include test scheduling [2], toggle suppression and blocking useless patterns [13], designing low-power TPG for BIST applications [8, 12], use of Golomb coding for scan testing [7], and power-aware ATPG [14, 15]. For deterministic testing, power reduction can be achieved by reordering scan chains and test vectors [4]. Compaction of test vectors for low power in a scan-based system was addressed in [3]. For minimizing switching activity during scan-shift, multiple scan-path architectures with selective freezing have been reported recently [6, 8, 10]. Various other scan design techniques for power minimization have also been proposed [16, 17, 18]. Further issues involving low-power gated clock design have been studied in [11].

The DTS architecture is motivated by the observation that in typical designs with large number of scan flip flops, a major component of energy is consumed in scan-shifting and clocking of the scan chain. We focus attention on designs with a single serial scan input and output. The following properties are desirable in designing such a scan-path and its associated shift control mechanism:

1. It should be possible to load or unload the scan-path with f FFs in f shift clock cycles;
2. It should be possible to completely overlap the loading of a new test vector with the unloading of the previous response;
3. The scan control mechanism should be simple and it should not increase the shifting time;
4. The design should be independent of the structure of the CUT and its test set;
5. The input order of values shifted in, may also be preserved at the shifted output.

The simplest architecture with these properties is the classical linear scan (Fig. 1a), where all the flip-flops are configured as a chain in test mode. In a linear scan chain
of length \( f \), the total worst-case switching activity during scan-shifting in terms of number of transitions is \( O(T^f f^2) \), where \( T \) is the number of test vectors. Similarly, the clock activity is \( O(T^f f^2) \). The other extreme example is the full parallel scan (Fig. 1b) where, each flip-flop can be loaded and unloaded independently. Between these two options lies the multiple parallel scan-path architecture, where the scan-path is decomposed into several smaller and independent linear chains (Fig. 1c). Recently, test architectures based on multiple scan-paths have been reported in order to reduce the shift and clock activity [6, 9, 10] and for BIST applications [5]. During shifting/clocking, each chain can be selectively chosen while freezing the remaining others. If \( s \) is the number of linear chains, the switching activity reduces to \( \{s^*T^f f^2\} = T^f f^2/s \), i.e., by a constant factor. Since, the power loss (both for shifting and clocking) is quadratic in the length of the chain, a fully linear scan-path consumes maximum power, whereas, a fully parallel scan-path requires minimum power. Increasing the multiplicity of the scan-paths for a given number of flip-flops, reduces the length of the paths, and hence power demand. However, the control mechanism becomes overly complex as the multiplicity increases. For a large number of scan chains, the MUX block either introduces large fan-in/fanout, or delay. The former consumes more power and the latter increases the shifting time. Thus, the fully parallel scheme, or the multiple parallel scan-path scheme beyond a certain value of multiplicity, is impractical. For example, a multiple scan-path with only 3 linear chains was considered by Saxena, Butler, and Whetsel [9]. Nicolici and Al-Hashimi [6] used at most 7 chains, and Sinanoglu and Oraloglu [10] studied up to 24 linear chains. Moreover, the design methods in [6, 10] are strongly dependent either on the structure of the CUT, or on the test set itself.

It may be noted that some of the other well known scan architectures that do not have power minimization as their main goal allow multiple scan chains to operate in parallel, e.g. the STUMPS architecture uses an LFSR/phase shifter (MISR) to load (unload) multiple chains in parallel, and the shared scan-in (Illinois scan) architecture allows parallel scan chains to be loaded with identical bit streams [19, 20]. These schemes are not directly comparable to DTS, although the scan chains they employ can be implemented with the DTS to reduce power consumption.

### 3. Main Results

This paper presents a novel scan-path architecture called double-tree scan (DTS) for low-power test applications. The structure resembles two trees glued at the leaf nodes. We report on the design methodology of DTS, clock gating logic, and shift controller. The architecture is independent of the CUT and its test set. The scheme reduces both the scan-shift and clock activity. The design is simple and hardware overhead is low. It provides very significant amount of power/energy savings over various existing schemes, and the benefit becomes more prominent as the number of scan flip-flops increases.

![Figure 1a: Linear scan-path](image)

![Figure 1b: Fully parallel scan-path](image)

![Figure 1c: Multiple parallel scan-path](image)

### 4. Double-Tree Scan (DTS) Structure

We organize the scan flip-flops in a radically different fashion called double-tree scan (DTS) architecture (Figs. 2a, 2b, 2c), to achieve drastic power/energy reduction. A complete binary tree of level \( k \) (considering the root at level 0) consists of \( 2^k \) leaf nodes and \( 2^k - 1 \) internal nodes. The proposed scan structure resembles two complete \( k \)-level binary trees whose leaf nodes are merged pair-wise. Thus, a full double-tree DTS(k) consists of \( N = 3*2^k - 2 \)
( = $2^k - 1 + 2^k + 2^k - 1$) nodes. Each node of the tree represents a scan flip-flop. All edges in the tree are directed from top to bottom. A directed edge (i, j) in the DTS indicates that Q(i), i.e., the Q-output of the flip-flop i drives D(j), the D-input of the flip-flop j. For each node with in-degree 2 (i.e., a join node) in the bottom half of the DTS, a 2→1 multiplexer is needed to select the predecessor flip-flop during scan operation.

5. Full DTS

Examples of full DTS(k) for k = 1, 2, 3 are shown in Figs. 2a, 2b, 2c respectively. The topmost node (source) serves as the scan-in node, whereas the bottommost node (sink) serves as the scan-out node. The DTS structure is hierarchical in nature: DTS(k) can be constructed by taking two copies of DTS(k-1) and adding two more nodes as a new source and sink with corresponding edge connections. Thus, a full DTS(k) has (3*2^k - 2) flip-flops organized as 2^k (overlapping) scan-paths, each of (2k + 1) nodes from the source to the sink (Table 1). For example, a full DTS(10) consists of 3070 FFs organized as 1024 overlapping scan-paths, each of length 21. In a conventional multiple parallel scan-path scheme (Fig. 1c) with the same number of FFs organized as 1024 independent linear chains, the length of each chain and consequently the power/energy loss in the scan-path would have been much smaller. However, a 1024-input MUX block lumped at the scan output will need very large fan-in/fan-out (causing additional power loss), or introduce large delay (causing increase of shifting time).

![Figure 2a: DTS(1); # FFs (f) = 4](image1)

![Figure 2b: DTS(2); #FFs (f) = 10](image2)

![Figure 2c: DTS(3); # FFs (f) = 22](image3)
5.1 Clock Controller

During scan-shift, one should be able to select a single path from the source to sink in the DTS for loading and unloading the FFs. Paths in a DTS(k) may be designated by a k-bit vector \( L_1, L_2, \ldots, L_k \), where the path number is simply the binary number corresponding to this vector. Thus, in DTS(2) of Fig. 2b, we have:

\[
\begin{align*}
L_1 L_2 = 00 &\Rightarrow \text{Path-0: } 1 \rightarrow 2 \rightarrow 4 \rightarrow 8 \rightarrow 10; \\
L_1 L_2 = 01 &\Rightarrow \text{Path-1: } 1 \rightarrow 2 \rightarrow 5 \rightarrow 8 \rightarrow 10; \\
L_1 L_2 = 10 &\Rightarrow \text{Path-2: } 1 \rightarrow 3 \rightarrow 6 \rightarrow 9 \rightarrow 10; \\
L_1 L_2 = 11 &\Rightarrow \text{Path-3: } 1 \rightarrow 3 \rightarrow 7 \rightarrow 9 \rightarrow 10.
\end{align*}
\]

Table 1: Full DTS for some values of \( k \)

<table>
<thead>
<tr>
<th>( k )</th>
<th># FFs in full DTS(k)</th>
<th>Number of scan-paths</th>
<th>Length of each scan-path</th>
</tr>
</thead>
<tbody>
<tr>
<td>0</td>
<td>1</td>
<td>1</td>
<td>1</td>
</tr>
<tr>
<td>1</td>
<td>4</td>
<td>2</td>
<td>3</td>
</tr>
<tr>
<td>2</td>
<td>10</td>
<td>4</td>
<td>5</td>
</tr>
<tr>
<td>3</td>
<td>22</td>
<td>8</td>
<td>7</td>
</tr>
<tr>
<td>4</td>
<td>46</td>
<td>16</td>
<td>9</td>
</tr>
<tr>
<td>5</td>
<td>94</td>
<td>32</td>
<td>11</td>
</tr>
<tr>
<td>6</td>
<td>190</td>
<td>64</td>
<td>13</td>
</tr>
<tr>
<td>7</td>
<td>382</td>
<td>128</td>
<td>15</td>
</tr>
<tr>
<td>8</td>
<td>766</td>
<td>256</td>
<td>17</td>
</tr>
<tr>
<td>9</td>
<td>1534</td>
<td>512</td>
<td>19</td>
</tr>
<tr>
<td>10</td>
<td>3070</td>
<td>1024</td>
<td>21</td>
</tr>
</tbody>
</table>

![Figure 3: A naive clock gating logic for DTS(3); # DEMUX = 7](image)

5.1.1 A Naive Design

A straightforward way to design a clock gating logic for DTS(k) would be to use k control lines \( L_1, L_2, \ldots, L_k \) and a tree circuit consisting of \( 2^k - 1 \) (1→2) DEMUX units for clock routing mechanism. For each node of DTS with out-degree 2 (i.e., a fork node) in the top half of the DTS, a 1→2 demultiplexer is needed to route the clock to an appropriate successor flip-flop. For example, a clock control circuit of DTS(3) of Fig. 2c can be designed as shown in Fig. 3, where, CL(i) denotes the clock signal to the flip-flop i. At any instant of time during scan-shift, only a single path from the source to sink is activated by allowing the clock signal to reach the flip-flops along the path. Clocks to other flip-flops in the remaining paths are frozen. For each of the join nodes in the bottom up of the tree, a 2→1 multiplexer is needed, which can be controlled accordingly. Thus, the architecture reduces both the shift and clock activity simultaneously. The number of MUX units needed for join nodes of the bottom half of the tree is \( 2^k - 1 \). Hence, for a DTS(k) with \( (3*2^k - 2) \) FFs, the additional hardware overhead would be a total of \( (2*2^k - 2) \) DEMUX/MUX units. However, the maximum fanout of a control line would be \( 2^k - 1 \), which may not be acceptable for a system with a very large number of scan flip-flops. For example, such a controller of DTS(10) with 3070 flip-flops would require a fanout of 512.

5.1.2 A Hierarchical Clock Controller

A better way to design the controller is to use a recursive structure, which routes the clock as well as the control signals in a hierarchical fashion. To implement this architecture, a different clock control mechanism is needed. For DTS(2) of Fig. 2b, the controller is shown in Fig. 4. To activate scan-shift along the path 1→2→3→5→8→10, we set the control lines \( L_1 = 0 \) and \( L_2 = 1 \). Thus, the DEMUX tree enables CL(1), CL(2), CL(5), CL(8), and CL(10). The MUX control lines for the flip-flops 8 and 10 are also set accordingly.

In this method, DTS(k+1) can be constructed recursively by using two copies of DTS(k), and combining them by adding \( (k+1) \) new (1→2) DEMUX blocks. The design for DTS(3) is shown in Fig. 5. Thus, if D(k) denotes the number of DEMUX units to realize DTS(k), then D(k+1) = \( 2*D(k) + (k+1) \). Solving this recurrence yields, D(k) = \( 2^k - 1 \). The maximum fanout of a control line for DTS(k) will be only k, instead of \( 2^k - 1 \) as in the earlier design. Thus, DTS(10) with 3070 FFs would need a maximum fanout of 10. As before, the number of MUX units needed for join nodes of the bottom half of the tree is \( 2^k - 1 \). Hence, for a DTS(k) with \( (3*2^k - 2) \) FFs, the additional hardware overhead would be a total of \( (3*2^k - k - 3) \) DEMUX/MUX units.
A hierarchical controller of DTS(k) has several advantages. First, the maximum fanout of a control line is k. Second, it takes care of driving clock signals to all the scan flip-flops, and further, each output of a DEMUX unit drives at most two signals. Hence, it obviates the need for a separate clock tree for buffering. Third, for each shift clock, only a single path of length k is activated through the interior of the clock tree, and hence, the additional power loss in the tree is low. Lastly, the MUX units that are needed for the join nodes of the bottom half of DTS tree to merge them to a single scan output, are interfaced with the scan flip-flops (see Fig. 4). Although they appear on the shift path, they only increase latency slightly, but not the throughput (i.e., they do not need to slow down the shift clock, unlike the multiple scan-path architecture of Fig. 1c).

5.2 Shift Controller

We now demonstrate how DTS architecture can be employed to reduce power/energy demand drastically during scan-shifting and clocking. For simplicity of illustration, we use DTS(2) with 10 flip-flops (Fig. 6(a)).

To implement the scan architecture, a clock control is needed as shown in the Fig. 4. Let \((p_{10} p_{9} p_{8} p_{7} p_{6} p_{5} p_{4} p_{3} p_{2} p_{1})\) denote a 10-bit vector to be shifted in the DTS. Assume that the current contents of the FFs are \(Q_1, Q_2, \ldots, Q_{10}\), where \(Q_i\) denotes the content of the \(i\)-th FF. There are two ways the scan-paths can be filled: depth-first load (DFL) and breadth-first load (BFL).

5.2.1 Depth-First Load (DFL)

In this scheme, a scan-path is loaded serially up to a certain depth in the tree once for all, and then the other paths are processed. The shift controller to scan-in and scan-out a complete 10-bit vector for DTS(2) is shown in Table 2. When the shift-in process is completed, the contents of the FFs will look like as in Fig. 6(b). The shift controller can be implemented as a simple finite-state machine that drives the control lines internally during scan-shift. Hence, no external I/O pins are needed for these control lines. The overall scan architecture is shown in Fig. 7. During functional operation, all the flip-flops should receive the clock signals, and hence, the DEMUX design is slightly modified as in Fig. 8.

5.2.2 Breadth-First Load (BFL)

From Table 2, it may be observed that in the earlier DFL scheme the shifted outputs do not preserve the order in which the inputs are loaded. Although it is not a necessary criterion in test mode, one can achieve this on a DTS by loading the FFs in a breadth-first fashion.
Table 2: Shift controller for the DFL mode

<table>
<thead>
<tr>
<th>shift clock</th>
<th>L1</th>
<th>L2</th>
<th>active path</th>
<th>scanned-in bit</th>
<th>scanned-out bit</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>0</td>
<td>0</td>
<td>Path-0</td>
<td>p1</td>
<td>Q10</td>
</tr>
<tr>
<td>2</td>
<td>0</td>
<td>0</td>
<td>Path-0</td>
<td>p2</td>
<td>Q8</td>
</tr>
<tr>
<td>3</td>
<td>0</td>
<td>0</td>
<td>Path-0</td>
<td>p3</td>
<td>Q4</td>
</tr>
<tr>
<td>4</td>
<td>0</td>
<td>1</td>
<td>Path-1</td>
<td>p4</td>
<td>Q2</td>
</tr>
<tr>
<td>5</td>
<td>0</td>
<td>1</td>
<td>Path-1</td>
<td>p5</td>
<td>Q1</td>
</tr>
<tr>
<td>6</td>
<td>1</td>
<td>0</td>
<td>Path-2</td>
<td>p6</td>
<td>Q5</td>
</tr>
<tr>
<td>7</td>
<td>1</td>
<td>0</td>
<td>Path-2</td>
<td>p7</td>
<td>Q9</td>
</tr>
<tr>
<td>8</td>
<td>1</td>
<td>1</td>
<td>Path-3</td>
<td>p8</td>
<td>Q6</td>
</tr>
<tr>
<td>9</td>
<td>1</td>
<td>1</td>
<td>Path-3</td>
<td>p9</td>
<td>Q3</td>
</tr>
<tr>
<td>10</td>
<td>1</td>
<td>1</td>
<td>Path-3</td>
<td>p10</td>
<td>Q7</td>
</tr>
</tbody>
</table>

For a DTS(k), we run a modulo-2k counter continuously to load and unload the FFs, where the counter value is used to choose the corresponding path in the tree. For example, to load into DTS(2) with 10 FFs, we run the counter for 10 shift cycles cycling through states 0, 1, 2, 3, 0, 1, 2, 3, 0, 1, 2, 3. To unload from the tree (and to load the next 10-bit vector concurrently), we continue the count from the last value, i.e., run the counter for 10 cycles again as follows: 2, 3, 0, 1, 2, 3, 0, 1, 2, 3. It can be verified that the input and output order remain the same in this scheme.

The same clock control logic can be used here. Further, the shift controller can be implemented just by using a simple counter. The configuration of DTS(2) after complete shift-in is shown in Fig. 9.
6. Arbitrary Size DTS

For a full DTS(k), the number of FFs is \((3 \times 2^k - 2)\). In real life, if the number of flip-flops (f) in the CUT does not satisfy this equality, then we have an incomplete DTS. We propose two techniques to construct an incomplete DTS: (i) by pruning a full DTS of larger size, or (ii) by serial concatenation of several smaller full DTS blocks.

6.1 Pruning

We first choose a full DTS which is just larger than the given \(f\), i.e., choose \(k\) such that \(3 \times 2^k - 2 > f > (3 \times 2^{k-1} - 2)\). We then delete appropriate number of nodes starting from the innermost hierarchy of the DTS(k). During the deletion process, a few additional edges may be needed to connect the pendant edges, so that the continuity of all the scan-paths is preserved.

Deleting a node: For a node with in and out degree equal to 1, we can simply delete this node and the edges connected to it. Further, if as a result of the deletion of node B, A and C become unconnected, we add an edge between A and C.

We start the pruning of DTS nodes from the innermost tree in the order of decreasing path number, and retain as many smaller complete DTS blocks as possible. The following example (Fig. 10) illustrates the process when the starting DTS has 10 nodes. The resulting DTS may be asymmetric in nature, and may have paths of unequal lengths. A more sophisticated pruning technique can be employed to preserve symmetry and equality of path lengths as much as possible.

6.2 Serial Concatenation of Full DTS Blocks

In this method, we choose a full DTS which is just smaller than the given \(f\), i.e., choose \(k\) such that \((3 \times 2^k - 2) < f < (3 \times 2^{k+1} - 2)\). For the remaining nodes, we iterate the same process to obtain more DTS blocks, until their nodes add up to the given number of FF. All the full DTS blocks thus obtained are then concatenated serially.

We will demonstrate that an incomplete DTS designed by pruning is more power-efficient than the one obtained by serial concatenation technique. Since the length of the scan-paths in the pruned DTS may vary, the structure often becomes asymmetric. Thus, for overlapping load/unload operation, a DFL-based controller has to be designed. On the other hand, in the serial version, all the paths from the source to sink are of equal length, and hence, the same BFL-based shift controller can be used. Thus, its hardware implementation is simple. The following example illustrates both the techniques.

Example: Consider the circuit s35932.scan (ISCAS-89). We assume that the scan-path also includes the PI/PO for test application, and hence, its length should be \#FFs + max \{\#PI, \#PO\} = 1728 + 320 = 2048.

The pruned design of a DTS with 2048 FFs is shown in Fig. 11a. The maximum scan-path length is 21, and the minimum is 16. The dotted links do not represent any physical connection; they indicate the pruned portions. The serial design (Fig. 11b) requires concatenation of DTS(9), DTS(7), DTS(5), DTS(3), DTS(2), DTS(1), one each, and two single nodes (i.e. DTS(0)). This follows
from the fact that $2048 = 1534 + 382 + 94 + 22 + 10 + 4 + 1 + 1$ (see Table 1). All paths in the structure from scan-in to scan-out are of equal length ($19 + 15 + 11 + 7 + 5 + 3 + 1 + 1 = 62$).

**Remark:** A DTS architecture with DFL-based shift controller satisfies the first 4 desirable properties of scan-path design as stated in Section 4. A BFL-based implementation satisfies all of them.

### 6.3 Power/Energy Savings during Shifting and Clocking

It is easy to show that in a DTS architecture, for a test length $T$ and a scan chain with $f$ flip-flops, the total shift as well as the clock activity is $O(T*f*\lceil \log f \rceil)$ including the additional energy consumption in the control circuit. Thus, the percentile energy savings of DTS for both shifting and clocking over a linear scan chain is $(1 - (\lceil \log f \rceil / f))$, which asymptotically approaches 100% when $f$ becomes large. As an example, for the s35932.scan circuit, we compare switching activity for loading/unloading under various schemes (see Fig. 11). The computed SA refers to shifting of only one vector, and is a measure of the worst-case scan-shift activity, and also the number of FFs that are to clocked during shifting. The activity per shift clock is determined by the length of

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**Figure 11:** Incomplete DTS of 2048 FFs: (a) by pruning, (b) by serial concatenation
Table 3: Scan-shift switching activity

<table>
<thead>
<tr>
<th>Circuit</th>
<th>FFs</th>
<th>PLs</th>
<th>Scan-shift switching activity (SA) and % energy savings</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td></td>
<td></td>
<td>Fully linear scan chain</td>
</tr>
<tr>
<td>s208.scan</td>
<td>11</td>
<td>31</td>
<td>SA savings</td>
</tr>
<tr>
<td>s713.scan</td>
<td>19</td>
<td>53</td>
<td>SA savings</td>
</tr>
<tr>
<td>s838.scan</td>
<td>32</td>
<td>67</td>
<td>SA savings</td>
</tr>
<tr>
<td>s953.scan</td>
<td>29</td>
<td>96</td>
<td>SA savings</td>
</tr>
<tr>
<td>S1196.scan</td>
<td>18</td>
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<td>SA savings</td>
</tr>
<tr>
<td>S1238.scan</td>
<td>18</td>
<td>15</td>
<td>SA savings</td>
</tr>
<tr>
<td>S1423.scan</td>
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<td>S5378.scan</td>
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<td>s13207.1.scan</td>
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<td>SA savings</td>
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<tr>
<td>s15850.1.scan</td>
<td>534</td>
<td>330</td>
<td>SA savings</td>
</tr>
<tr>
<td>S35932.scan</td>
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<td>72</td>
<td>SA savings</td>
</tr>
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<td>S38417.scan</td>
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<td>s38584.1.scan</td>
<td>1426</td>
<td>695</td>
<td>SA savings</td>
</tr>
</tbody>
</table>

the currently active path and is a measure of instantaneous power. The total SA is a measure of energy needed to complete the shift.

7. Experimental Results

Experiments are carried out on several ISCAS-89 scan circuits, and the results are reported in Table 3. We assume that the primary inputs (PI) are also scanned in, so the effective number of scan flip-flops is increased accordingly. A 25-bit LFSR is used to generate 20,000 pseudorandom test vectors. After doing forward and reverse fault simulation for single stuck-at faults, only those vectors that contribute to fault dropping are retained, the number of which is shown in column 4. The total scan-shift switching activity (SA) for loading the test vectors and shifting out response vectors are then computed over the entire test session, and the results are reported for fully linear scan chain (column 5), pruned DTS architecture (column 6), serial DTS architecture (column 8), and multiple scan-path with 3 linear chains (column 10) as in [9]. Energy savings for the last three structures over fully linear scan-path are shown in columns 7, 9, 11 respectively. It may be observed that for a 3-chain multiple scan-path [9], the expected savings would be \( \left[ \left( T^f \times f \right) / \left( T^f \times f \right) \right] \times (1 - 1/3) = 66.6\% \), which is a constant independent of the number of FFs. This is reflected in column 11. On the other hand, energy savings will tend to increase significantly on DTS architecture, as the number of FFs increases. This is depicted in columns 7 and 9. The pruned DTS provides more savings over the serial version. As discussed earlier, the instantaneous power both for shifting and driving clock signals (not shown in the table) will also reduce in the same fashion.

8. Conclusion and Future Problems

A novel scan-path architecture called double-tree scan (DTS) is proposed for low-power testing. A hierarchical clock controller is designed that activates only a single scan chain of DTS per shift clock in test mode, while blocking clock signals to all other flip-flops. In functional mode, the clock signal reaches all flip-flops for normal operation. Depending on loading strategy, an appropriate shift controller based on depth-first load (DFL) or breadth-first load (BFL) may be designed. For a pruned (serial) DTS, a DFL(BFL) controller may fit well. The architecture is simple and provides substantial power/energy savings for both scan-shift and clock activity. Issues in layout design and clock synchronization problem for DTS will be addressed in a future work. Minimization of test application time on DTS is another open area for further investigation.

References


