

#### Elizaveta Kuznetsova, Yan-Fu Li, Carlos Ruiz , Enrico Zio, Graham Ault, Keith Bell Energy, Volume 59, 2013, Pages 133–146

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### **Overview Day One**

- Goal & objectives
- System design
- Markov chain model for wind gen
- System Model



Reinforcement Learning at Customers





### **Overview Day Two**

- Sensitivity analysis of learning parameters
- Simulation results and analysis
- Conclusion









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Reinforcement Learning at Customers





### **Battery storage**



**Source:** http://engineeringinsightspodcast.com/episode002/



## **Goal & objectives**

**Paper goal**: Increasing the utilization rate of the battery during high electricity demand, and increasing the utilization rate of the wind turbine for local use. **Customer:** Consuming electricity.

Wind Turbine: Renewable generation.

Main Grid: External grid.

Battery Storage: Charge and discharge electricity.

**Method:** Two steps-ahead reinforcement learning algorithm to plan the battery scheduling.



Main Grid Source: energy.gov





#### Source: www.betterworldsolutions.eu/



Residential

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### **Microgrid and Battery**

#### Source: http://www.energiestro.net/applications/





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**\*** Reinforcement Learning at Customers





### System Design

The algorithm integrates two blocks:

- 1. A forecasting step: design for stochasticity of the wind speed conditions.
- 2. An optimization: design for adaptive task for finding the strategy of battery scheduling optimal
- The time step for the energy system optimization is set to be 1 h.





# Microgrid design

The external grid imposes technical constraints and sets the market electricity price Pt.



Source: ww.hydrogencarsnow.com

#### Power output P<sub>wt</sub>





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## Model of the wind generator

- The amount of electricity output from the wind depends on :
  - Availability of the wind source.
  - Random mechanical failures of the wind generator components.
- Describe the dynamics of stochastic transition among different levels of wind speed conditions and mechanical states.



severe mechanical

#### Wind power curve

□ Wind power based on available wind

$$P(v) = \begin{cases} 0, & v \le v_{ci} \text{ or } v > v_{co} \\ P_N, & v_N \le v \le v_{co} \\ f(v), & v_{ci} < v < v_N \end{cases} \qquad v_{ci}, \text{ cut-in} \\ v_{co}, \text{ cut-out} \\ v_N, \text{ nominal wind speed} \end{cases}$$





#### **Obtaining wind power distribution function**



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## **MCMC for Wind Power Simulation**

#### \* Markov chain is define:

A set of state S and transition probability from any two states.  $Pr(X_i = i | X_{i-1} = n_i) = n_i$ 

$$\Pr(X_t = j | X_{t-1} = i) = p_{ij}$$

Transition Probability

$$\mathbf{P} = \begin{array}{cccc} S_t \to \\ \mathbf{P} = \\ S_{t-1} \downarrow \end{array} \begin{bmatrix} p_{11} & p_{12} & \dots & p_{1m} \\ p_{21} & p_{22} & \dots & p_{2m} \\ \vdots & \vdots & \ddots & \vdots \\ p_{m1} & p_{m2} & \dots & p_{mm} \end{bmatrix}$$

- States are discretized wind speeds values.
- ♦ Two extra discrete states, namely  $P \equiv 0$  and  $P \equiv P_N$





## Example

The maximum recorded wind speed is 34.4 m/s
Wind speed between 0-35 is divided to 35 states







## Model of the wind generator

#### Markov chain for modelling:

- Describe the dynamics of stochastic transition among different levels of wind speed conditions and mechanical states.
- $\Box$  Discrete wind speed width is 3 m/s.
- □ States 7-12 represent the wind turbine failure states.



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damages



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- System Model
- **\*** Reinforcement Learning at Customers





#### Model of load

$$D_t = D^{\text{peak}} \cdot r_w^{\text{peak}} \cdot r_d^{\text{peak}} \cdot r_h^{\text{peak}}$$

*D*<sup>peak</sup>: Is maximum hourly peak of power demand over a year

 $r_w^{\text{peak}}$  : Is the weekly peak of power demand

 $r_d^{\text{peak}}$ : Is the daily peak of power demand

 $r_h^{\text{peak}}$ : Is the hourly peak defined for working days and weekends





### **Model of battery storage**

 $R_t = R_{t-1} + R_t^{\text{stor,charge}} - R_t^{\text{stor,discharge}}$ 

 $R_t$  : Level of the energy stored in the battery at time t (Wh)

 $R_{t-1}$  : Level of the energy stored in the battery at time  $t_1$  (Wh)

 $R_t^{\text{stor,discharge}}$ : The power flows over time step interval t between battery and consumer (Wh)

 $R_t^{\text{stor,charge}}$ : The power flows over time step interval t between wind generator and battery (Wh)





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### **Definition of scenarios and actions**

#### **State And Scenarios**

- $\bullet$  S<sup>i</sup><sub>t</sub> at time t is a set of [D<sub>t</sub>, P<sup>WT</sup><sub>t</sub>].
- Scenario  $S_{l} = [S_{t}^{i}, S_{t+1}^{n}, S_{t+2}^{p}]$
- ✤ At time t, battery decide for action at time interval [t, t+1 and t+2]
- ♦ Battery States  $R_t = [R^0, R^1, R^2, R^3, R^4, R^5, R^6]$

## Actions

$$A_{j}^{t} = [a_{t}, a_{t+1}, a_{t+2}]$$

- $a_t$  a0 Covering part of the consumer electricity demand by discharging the battery
  - Purchasing all the electricity demanded by the consumer from the external grid





## Example



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#### **Problem Formulation**

**1-I**nitialize to 0 the Q-values of all possible actions sequences for each scenario and set time t =0.

**2-** Identify  $s_t^i = [D_t, P^{WT}_t]$ 

Make the forecast of available wind power output  $P^{WT}_{t+1}$ ,  $P^{WT}_{t+2}$  and load  $D_{t+1}$ ,  $D_{t+2}$ 

Identify Scenario  $S_{I}$ =[ $S_{t}^{i}$ ,  $S_{t+1}^{n}$ ,  $S_{t+2}^{p}$ ]

Based on identified  $S_1$  and battery charge  $R_t$ , define all possible actions sequences of battery scheduling for 2 steps ahead.

Apply the policy for selection of sequence of actions.

Perform the selected sequence A<sub>j</sub><sup>t</sup> under real system conditions, simulated using the Markov chain model for real wind conditions. Update the value of the sequence performed.

**3-** Move to time step t+3; repeat step 2.





### Algorithm







## **Reward functions**

- Final Goal: Increase the consumer independence from the external grid
- i. Increasing the utilization rate of the battery during high electricity demand.
- ii. Increasing the utilization rate of the wind turbine for local use.

$$f_t(a_t) = \begin{cases} \frac{P_t^{\text{wt}}}{D_t} \left( D_t - R_t^{\text{stor,discharge}} \right), & \text{if } a_t = a^0 \\ k \cdot \left( P_t^{\text{wt}} - R_t^{\text{stor,charge}} \right), & \text{if } a_t = a^1 \& P_t^{\text{wt}} > 0 \\ 0, & \text{if } a_t = a_1 \& P_t^{\text{wt}} = 0 \end{cases}$$

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## **Q** learning and reward

Maximizing the reward of current and future by performing sequence of actions A<sub>j</sub><sup>t</sup> =[a<sub>t</sub>, a<sub>t+1</sub>, a<sub>t+2</sub>],

$$r\left(\text{Scenario}_{t}^{l}, A_{t}^{j}\right) = \gamma^{0} \cdot f_{t}(a_{t}) + \gamma^{1} \cdot f_{t+1}(a_{t+1}) + \gamma^{2} \cdot f_{t+2}(a_{t+2})$$

#### **Updating the Q value**

$$Q\left(\text{Scenario}_{t}^{l}, A_{t}^{j}\right)_{p} = Q\left(\text{Scenario}_{t}^{l}, A_{t}^{j}\right)_{p-1} + \alpha\left[r\left(\text{Scenario}_{t}^{l}, A_{t}^{j}\right)_{p} - Q\left(\text{Scenario}_{t}^{l}, A_{t}^{j}\right)_{p-1}\right]$$



#### Recap

- **\*** Introduction & background to Batteries
- **\*** System design
- **\*** Markov chain model for wind gen
- **\*** Reinforcement Learning at Customers





### **Overview Day Two**

#### Sensitivity analysis of learning parameters

#### Simulation results and analysis







## Sensitivity analysis

\* To understand the role of the learning parameters:

- $\succ$  The weight coefficient k
- > The discounted rate  $\gamma$
- > The learning rate  $\alpha$





#### **Two scenarios**

#### Two scenarios

- Scenario 1 : low wind power output, and medium and high values of load
- Scenario 2 : high wind power output and low load.
- ✤ Initial battery size is 3000 W

| Parameters                                              | Time ste       | Time steps |                       |
|---------------------------------------------------------|----------------|------------|-----------------------|
|                                                         | t              | t + 1      | <i>t</i> + 2          |
| Scenario 1 with initial battery charge $R_t - 300$      | 0 Wh           |            |                       |
| Wind power output $(P_t^{\text{wt}})$ , Wh              | 1200           | 1200       | 1200                  |
| Load $(D_t)$ , Wh                                       | 4400           | 5200       | 5200                  |
| Scenario 2 with initial battery charge $R_t - 300$      | 0 Wh           |            |                       |
| Wind power output $(P_t^{\text{wt}})$ , Wh              | 6000           | 4800       | 4800                  |
| Load $(D_t)$ , Wh                                       | 2800           | 2800       | 2800                  |
| Possible sequences of actions $[a_t, a_{t+1}, a_{t+2}]$ | a <sup>o</sup> | $a^{0}$    | $a^0$                 |
|                                                         | $a^0$          | $a^0$      | $a^1$                 |
|                                                         | $a^{0}$        | $a^1$      | $a^0$                 |
|                                                         | $a^{0}$        | $a^1$      | $a^1$                 |
|                                                         | $a^1$          | $a^{0}$    | $a^0$                 |
|                                                         | $a^1$          | $a^{0}$    | $a^1$                 |
|                                                         | $a^1$          | $a^1$      | $a^0$                 |
|                                                         | $a^1$          | $a^1$      | <i>a</i> <sup>1</sup> |



### Possible values of the weight k

- The possible scenarios can be divided into three groups, depending on which of the following conditions is met.
- $\texttt{*} \mathbf{f}_{\mathsf{t}}(a_0) > \mathbf{f}_{\mathsf{t}}(a_1)$ 
  - ➢ High loads and low wind power outputs.
- $\texttt{ f}_{t}(a_{0}) < f_{t}(a_{1})$

Low loads and high wind power outputs.

$$\bullet f_t(a_0) = f_t(a_1),$$

> Where both actions  $a_0$  and  $a_1$  are equally valuable.





### Possible values of the weight k







 $f_t(a_0)$ : grey-coloured surface  $f_t(a_1)$ : white-coloured surface

a) k = 1  
b) k = 
$$2^{\frac{1200}{P_t^W}}$$
  
c) k = 6



#### Influence of the weight k on the optimal sequence of actions

✤ Use sensitivity analysis to pick k:

 $\gamma = .8, \ \alpha = 0.6$ 

- > large k increase the selection of action  $a_1$
- > Small k favors actions  $a_0$
- For long term benefits, they consider the potential of absence of wind

 $\succ$  k=6

| Value of weight coefficient k               | Scenario 1                                                                    | Scenario 2                                         |
|---------------------------------------------|-------------------------------------------------------------------------------|----------------------------------------------------|
| 1<br>2 <sup>1200/P</sup> <sup>wt</sup><br>6 | $[a^{0}, a^{0}, a^{0}]$<br>$[a^{0}, a^{0}, a^{0}]$<br>$[a^{1}, a^{1}, a^{1}]$ | $egin{array}{cccccccccccccccccccccccccccccccccccc$ |



#### **Discounted rate** $\gamma$

 $k = 6, \alpha = 0.6$ 

If set to zero : values of actions undertaken at time steps t + 1 and t + 2 are neglected and only the first action at time step t is valuable

γ For the range 0.2 to 1: do not influence the sequence of actions with highest Q\*-value.
 Final Value set to 0.8

| Value of discounted rate $\gamma$ | Scenario 1/Scenario 2                                                |
|-----------------------------------|----------------------------------------------------------------------|
| 0                                 | $[a^1, a^1, a^1], [a^1, a^1, a^0], [a^1, a^0, a^1], [a^1, a^0, a^0]$ |
| 0.2                               | $[a^1, a^1, a^1]$                                                    |
| 0.4                               | $[a^1, a^1, a^1]$                                                    |
| 0.6                               | $[a^1, a^1, a^1]$                                                    |
| 0.8                               | $[a^1, a^1, a^1]$                                                    |
| 1                                 | $[a^1, a^1, a^1]$                                                    |

## Learning rate

- The value of the learning rate a influences the speed of convergence to Q\*-values but not to the final highest Q\*-values.
- The  $\alpha$  close to zero slowdown the convergence of Q values.

 $\gamma$  = .8, **k**=6

• They select  $\alpha = 1$ 



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### **Overview Day Two**

#### Sensitivity analysis of learning parameters

#### Simulation results and analysis







#### Simulation results and analysis

- The values of  $D_t$ ,  $P^{WT}_t$ , and  $R_t$  are divided to six discrete values.
- Wind Power : [0, 1200, 2400, 3600, 4800, 6000] Wh
  Load: [2000, 2800, 3600, 4400, 5200, 6000] Wh
  Battery: [0, 1000, 2000, 3000, 4000, 5000, 6000] Wh
  Charging or discharging at each time step is : 1000 Wh





### Wind turbine parameter

✤ Wind power output is proportional to the rated power of the wind generator

$$P_t^{\mathsf{wt}} = \begin{cases} 0, & \text{if } v < v_{\mathsf{ci}} \\ P^r \cdot \frac{(v_t - v^{\mathsf{ci}})}{(v^r - v^{\mathsf{ci}})} \cdot \Delta t, & \text{if } v_{\mathsf{ci}} \le v < v_1 \\ P^r \cdot \Delta t, & \text{if } v_r \le v < v_{\mathsf{ci}} \\ 0, & \text{if } v > v_{\mathsf{co}} \end{cases}$$

| Parameters | $P^r$  | $\nu_{ci}$ | v <sub>r</sub> | $v_{co}$ |
|------------|--------|------------|----------------|----------|
| Values     | 6000 W | 3 m/s      | 12 m/s         | 20 m/s   |
|            |        |            |                |          |

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## **Available wind power output**

- Method of eigen-vectors : Numerical Value
- Markov chain model : Analytical Value







### Wind Output for 40 years

↔ Wind power output was calculated with the Markov chain







- ✤ The threshold for learning each scenario is set to 16.
- After 10 years of learning, number of new scenarios is less than 1.5% of available scenario at that year.
- ✤ Number of learned scenarios are 87% in the year 40
- Still large number of unlearned scenarios



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Three indexes for analyzing the performance of reinforcement learning:

$$V_{0} = \frac{\sum R_{t}^{\text{stor,discharge}}}{\sum D_{t}},$$
$$V_{1} = \frac{\sum R_{t}^{\text{stor,charge}}}{\sum P_{t}^{\text{wt}}},$$
$$E = \left(\sum D_{t} - \sum R_{t}^{\text{stor,discharge}}\right) \cdot P_{t}$$

- $\clubsuit$  Where  $P_t$  is assumed to be constant
- The values all are calculated as a cumulative values in a year





- *Ns* =50 independent simulation runs are executed.
- ✤ For each run, wind profile for a year was generated.
- \* Through 50 independent simulation runs, they evaluate the estimated  $V_1$  and  $V_2$ :

$$\widehat{V}_0 = \frac{\sum_{j=1}^{N_s} V_0^j}{N_s}$$
$$\widehat{V}_1 = \frac{\sum_{j=1}^{N_s} V_1^j}{N_s}$$





\* The convergence of  $V_0$  and  $V_1$  for five randomly selected years.



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# $v_0^{av}$

- The average values of the performance indicators for each year :
- $v_0^{av}, v_1^{av}$ , and  $E^{av}$
- \* Performance indicator  $v_0^{av}$  increases



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• Performance indicator  $v_1^{av}$  increases



 $\frac{11}{11}$ 







#### • Progressive decrease of the $E^{av}$







## **Case study for k**

It is more valuable for the consumer to adopt the strategy illustrated by the case study 1 with weight coefficient k = 6

|                           |                | Case study 1. $k = 6$ | Case study 2.<br>$k = 2^{1200/P_t^{wt}}$ |
|---------------------------|----------------|-----------------------|------------------------------------------|
| Average improvement       | V <sub>0</sub> | 3.93%                 | 2.72%                                    |
| of performance indicators | V <sub>1</sub> | 5.37%                 | 0.96%                                    |
| after convergence         | E              | 0.47% <sup>a</sup>    | 0.26% <sup>a</sup>                       |





#### **Battery scheduling process for a day of operation**







### **Overview Day Two**

- Sensitivity analysis of learning parameters
- Simulation results and analysis
- Discussion & Conclusions



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- The microgrid energy management is done for the benefit of the consumer, i.e. to maximize her or his personal objectives.
- i. The paper used a two step ahead approach for learning and decision making using Q-learning for customers.
  Therefore, based on the current time and knowledge of system about current scenario, it will get a decision.
  Therefore system states needed to be learned increase significantly.
- ii. It would be nice if we have a comparison between this framework and the regular q-learning.





- i. I believe, analyzing the sensitivity of  $\alpha$  after determining the actions is not consider as a sensitivity analysis.
- ii. I believe in this framework the battery charges always.
  The only case that it discharges is when wind output is zero. (they mentioned, they will choose maximum Q after training.)
- The proposed modelling framework is capable of accounting for generation uncertainty.
- i. They needed to talk more about method of eigen-vectors or they could not mention it at all.





- The optimization framework of reinforcement learning is analyzed through a sensitivity analysis aimed at understanding the role of the learning parameters.
- i. They final chosen value of k is in conflict with the paper sensitivity analysis, which is not proper.
- ii. One solution for k is to define a variable k based on their prediction for future wind power.
- For measuring the performance of the learning algorithm, three indicators have been introduced.
- i. There is a conflict in the results in Figs 11 and 13.
- ii. They need to define  $v_0^{av}$ ,  $v_1^{av}$ , and  $E^{av}$  more carefully.





### **Future Work**

- The improvement for the forecasting and learning capabilities
- The extension to multiple agents integrating, diverse renewable generators, and several intelligent consumers with limited access to information about the power available and limited communication capabilities within the microgrid.





#### References

- Kuznetsova, Elizaveta, et al. "Reinforcement learning for microgrid energy management." *Energy* 59 (2013): 133-146.
- 2) Papaefthymiou, George, and Bernd Klockl. "MCMC for wind power simulation." *IEEE Transactions on Energy Conversion* 23.1 (2008): 234-240.







- 1. Risk-Averse: Bid low to have HIGH acceptance
- 2. Risk-Indifferent : They are at MEAN
- 3. Risk-Taker : Bid high, they have LOW acceptance
- \* To trade off between exploitation and exploration, the  $\epsilon$  greedy chooses the action with maximum Q-value by the

1-  $\epsilon$  probability and selects all possible actions with small probability  $\epsilon$ .





- Risk-Averse (RA):
- The agent prefers to be greedy about new data and experience and pick the maximum immediate reward right away without exploring
  - > The discounted rate  $\gamma$ : Low value of discounted value since they don't care about future.
  - > The learning rate  $\alpha$  : High value of learning factor to indicate a greedy feature
  - $\succ$   $\epsilon$  : Low value



- Risk-Taker (RT)
- \* in a risky situation, it likes to explore more (the high value of  $\varepsilon$ ) to get new opportunities and is not greedy about new data.
  - > The discounted rate  $\gamma$ : High value since The expected future reward is valuable for this type of agent.
  - > The learning rate  $\alpha$  : low value of learning factor to indicate a non-greedy feature
  - $\succ$   $\varepsilon$ : High value



- Risk-Indifferent (RI):
- \* The normal values for the  $\alpha$ ,  $\gamma$ ,  $\varepsilon$  parameters are suited for this strategy.





#### **Tabular form of parameters and risk**

#### **AP: Acceptance probability**

| Agent | AP   | α    | γ    | 3    |
|-------|------|------|------|------|
| RA    | High | High | Low  | Low  |
| RI    | Mean | Mean | Mean | Mean |
| RT    | Low  | Low  | High | High |
|       |      |      |      |      |





#### References

- 1) Kuznetsova, Elizaveta, et al. "Reinforcement learning for microgrid energy management." *Energy* 59 (2013): 133-146.
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#### Thank you very much



