# CSE 235 Homework Template\*

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**Problem:** (Levitin 2.1.1) For each of the following algorithms, indicate (i) a natural size matrix for its inputs; (ii) its basic operation; (iii) whether the basic operation count can be different for inputs of the same size.

a. Computing the sum of n numbers

Answer:

- i. n
- ii. addition of two numbers
- iii. no
- b. Computing n!
  - Answer:
    - i.  $\lceil \log n \rceil$
    - ii. Multiplication of two integers
  - iii. no
- c. Finding the largest element in a list of n numbers

Answer:

- i. n
- ii. Comparison of two numbers
- iii. Nothing else.

<sup>\*</sup>This document was created by Chris Bourke [1] and modified by Nobel Khandaker [2].

**Problem:** Prove that  $\frac{n(n^2)}{2} \in \Omega(n)$ 

Answer: We have the following theorem from Levitin, page 57:

**Theorem 1.** Let f(n) and g(n) be two monotonically increasing functions, then

$$\lim_{n \to \infty} \frac{f(n)}{g(n)} = \begin{cases} 0 \quad \Rightarrow f(n) \in \mathcal{O}(g(n)) \\ c \quad \Rightarrow f(n) \in \Theta(g(n)) \\ \infty \quad \Rightarrow f(n) \in \Omega(g(n)) \end{cases}$$

We set up our limit appropriately:

$$\lim_{n \to \infty} \frac{\frac{n(n-1)}{2}}{n} = n - 1 = \infty$$

Therefore, by Theorem 1,  $\frac{n(n^2)}{2} \in \Omega(n)$ 

Here is a mathematical expression:  $(a+b)_{n_i}^{2k} \frac{3x}{7y}$ . Note that it is written in line, in the text.

The following mathematical expression is displayed on a new line, centered, but it is not assigned a number:

$$(a+b)^{2k}_{n_i}\frac{3x}{7y}$$

The equation (1) has a number and a label, which can be referenced in the text.

$$(a+b)n_i\frac{3x}{7y}\tag{1}$$

The set of equations below are listed as an array. Only two are numbered.

$$(a+b)^2 = a^2 + b^2 + 2ab (2)$$

$$(a+b)^2 = a^2 + b^2 + 2ab (3)$$

$$(a+b)^3 = a^3 + 3a^2b + 3ab^2 + b^3$$

#### **Problem:** Draw the graph $K_5$ .

Answer:  $K_4$  is shown in Figure 1

**Problem:** Define the semantics of the logical connective  $\wedge$  in Propositional logic.

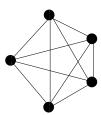


Figure 1: A complete graph with 5 nodes.

Table 1: Definition of the logical connective  $\wedge$ .

a	b	$\mathbf{a}\wedge\mathbf{b}$
0	0	0
0	1	0
1	0	0
1	1	1

Answer: Given two logical propositions a and b, the semantics of  $\wedge$  is defined in Table 1:

**Problem:** Give an algorithm to compute the sum of n integers stored in an array  $\mathcal{A}$ .

Answer: The following algorithm computes the sum:

SUMMATION( $\mathcal{A}[0...n-1]$ ) INPUT: an integer array  $\mathcal{A}$ OUTPUT: the summation  $\sum_{i=0}^{n-1} \mathcal{A}[i]$ sum = 0 for i = 0...(n-1)sum = sum +  $\mathcal{A}[i]$ return sum

# **Compiling Your Document**

Now that our document is finished, we need to compile it. If you are on CSE or any other system that has  $IaT_EX$  installed, then you compile this document from the command line as follows: latex hw\_example.tex

LATEX will do its thing and report any errors that you may have, otherwise it will

successfully compile in to a dvi file named hw\_example.dvi. At this point you have several options. You can convert the dvi file into a pdf file or a postscript file by using either dvipdf or dvips respectively. Another alternative is to use pdflatex instead of latex, which automatically outputs a pdf file rather than a dvi file.

If you have labels like our label, \label{theorem:asymptotics}, you will need to run latex or pdflatex 2 or three times to compile the proper references.

## Additional Tools

You can use a program called ispell from the command prompt to spell check your document. Conveniently, ispell ignores  $IAT_EX$  markup!

If you are just getting used to the linux environment, one of the best text editors for  $\[Mathbb{L}^{AT}_{E}X\]$  besides emacs and xemacs is nedit. This text editor recognizes  $\[Mathbb{L}^{AT}_{E}X\]$  markup uses font and color offsets to help you out.

### Additional Resources

One of the best tutorials is the Not So Short Introduction to  $I\!\!A T_{\!E\!} \!X$  2e which can be found at

http://www.ctan.org/tex-archive/info/lshort/english/lshort.pdf

# Good Luck on your LATEXing

#### References

- [1] Chris Bourke. Using LaTeX to Typeset Your Homework Example. 2004.
- [2] Nobel Khandaker. CSE 235 Homework Template. 2010.